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The errata

Hitoshi Omori and Toshiharu Waragai, "On Béziau's Logic Z", *Logic and Logical Philosophy* 17 (2008), 305–320.

Page 307, lines 1–8, '$\mathbb{C}$' is missing 7 times, thus one should read this as follows:

> *Remark* 1.2. In [1] the logic **Z** is introduced semantically. *Bivaluations* are functions from $\mathrm{For}_{\mathbf{Z}}$ to $\{0, 1\}$. A **Z**-*cosmos* is any non-empty set $\mathbb{C}$ of bivaluations defined by the condition: $v \in \mathbb{C}$ iff it obeys the classical conditions for '$\wedge$', '$\vee$' and '$\supset$', and moreover obeys the following condition for 'N' ("intended to be a paraconsistent negation"):
>
> $$v(\mathsf{N}\, A) = 1 \quad \text{iff} \quad \exists_{u \in \mathbb{C}}\, u(A) = 0.$$
>
> A formula A is **Z**-*valid* iff the value of A is one in any **Z**-cosmos $\mathbb{C}$ for all bivaluations of $\mathbb{C}$, i.e. $\forall_{\mathbb{C}} \forall_{v \in \mathbb{C}}\, v(a) = 1$.

Page 310, lines 16–17, '$\mathbb{C}$' is missing twice, one should read it in the following way:

> Moreover, semantically (cf. Remark 1.2), for any **Z**-cosmos $\mathbb{C}$, for any $v \in \mathbb{C}$, and for any $A \in \mathrm{For}_{\mathbf{Z}}$ we obtain the classical condition:

Page 311, lines 3–6, '$\mathbb{C}$' is missing 4 times, one should read this as follows:

> Semantically, for any **Z**-cosmos $\mathbb{C}$, for any $v \in \mathbb{C}$, and for any $A \in \mathrm{For}_{\mathbf{Z}}$ we obtain the following condition:
>
> $$v(\Box A) = 1 \quad \text{iff} \quad \forall_{u \in \mathbb{C}}\, u(A) = 1\,.$$
>
> Indeed, $v(\Box A)=1$ iff $v(\neg\, \mathsf{N}\, A)=1$ iff $v(\mathsf{N}\, A)=0$ iff $\nexists_{u \in \mathbb{C}}\, u(A)=0$.